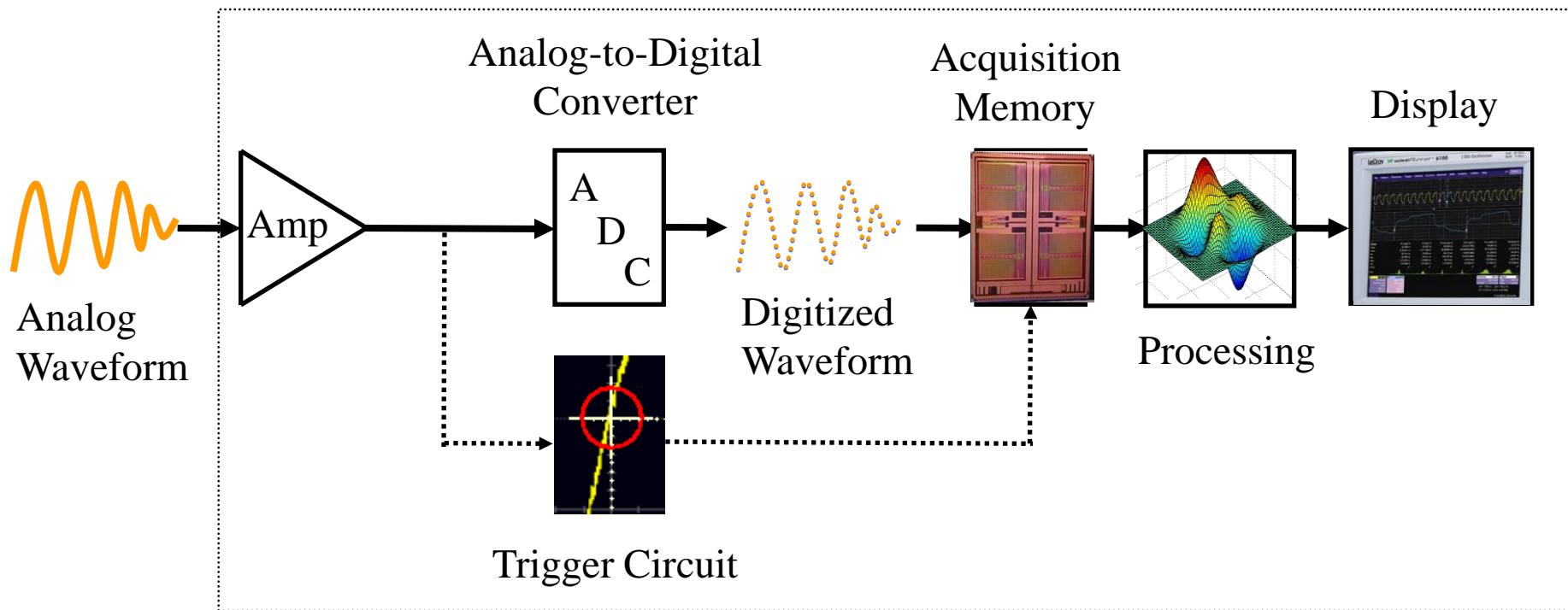


LeCroy



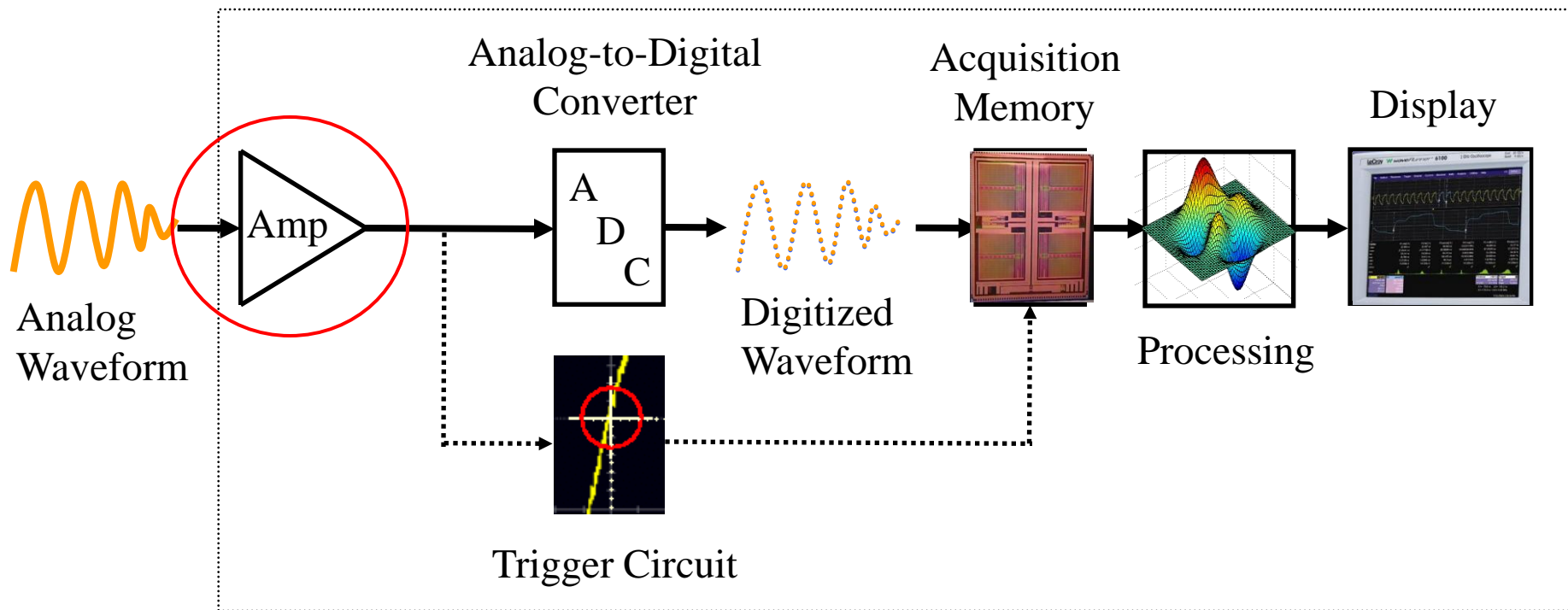
MAXIMIZING
PRODUCTIVITY
AND MEASUREMENT ACCURACY
WITH YOUR
DSO

Waveform Signal Path



SIMPLIFIED OSCILLOSCOPE BLOCK DIAGRAM

Section 1: Analog Bandwidth

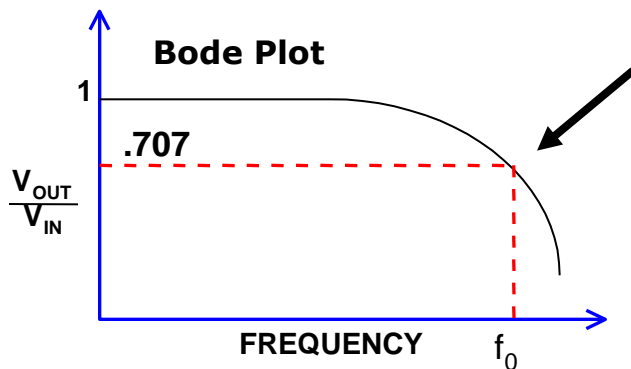


Section 1: Analog Bandwidth

Scope Analog Bandwidth



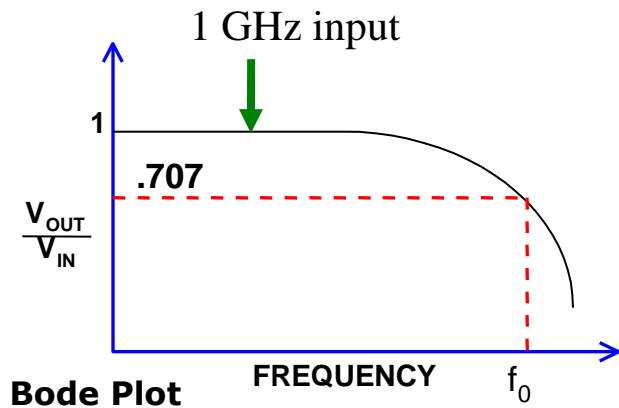
All oscilloscopes are specified with an analog bandwidth.



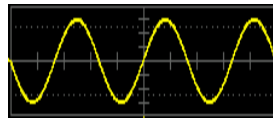
Analog bandwidth is the frequency at which the output falls to -3dB of the input

Scope Analog Bandwidth

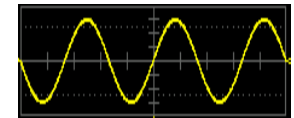
Example 1: A 3 GHz oscilloscope measures a **1 GHz** sine wave.



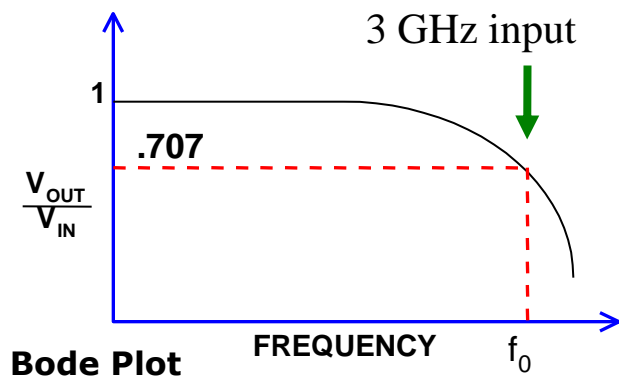
1 GHz, 1 V sinewave is input into oscilloscope



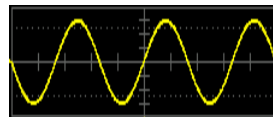
1 GHz, **1 V** sinewave is measured by oscilloscope



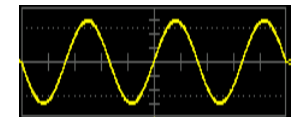
Example 2: A 3 GHz oscilloscope measures a **3 GHz** sine wave.



3 GHz, 1 V sinewave is input into oscilloscope

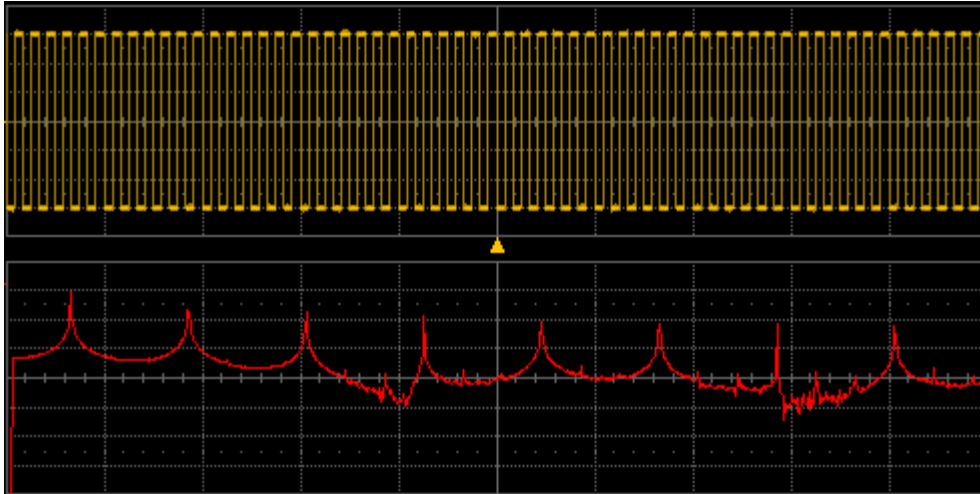


3 GHz, **0.707 V** sinewave is measured by oscilloscope

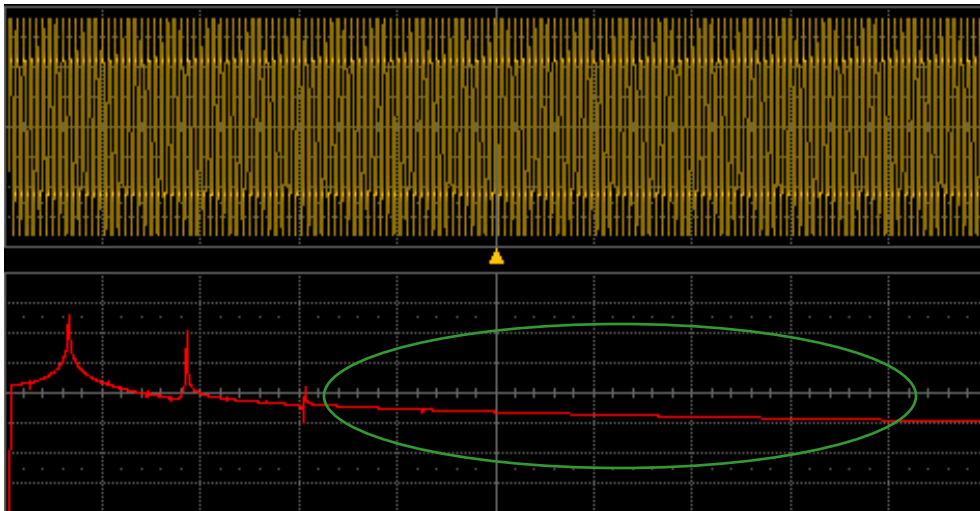


Scope Analog Bandwidth

Spectral View of Square Wave



Scope bandwidth at 1000x signal bandwidth
(Square Wave with 40% duty cycle)

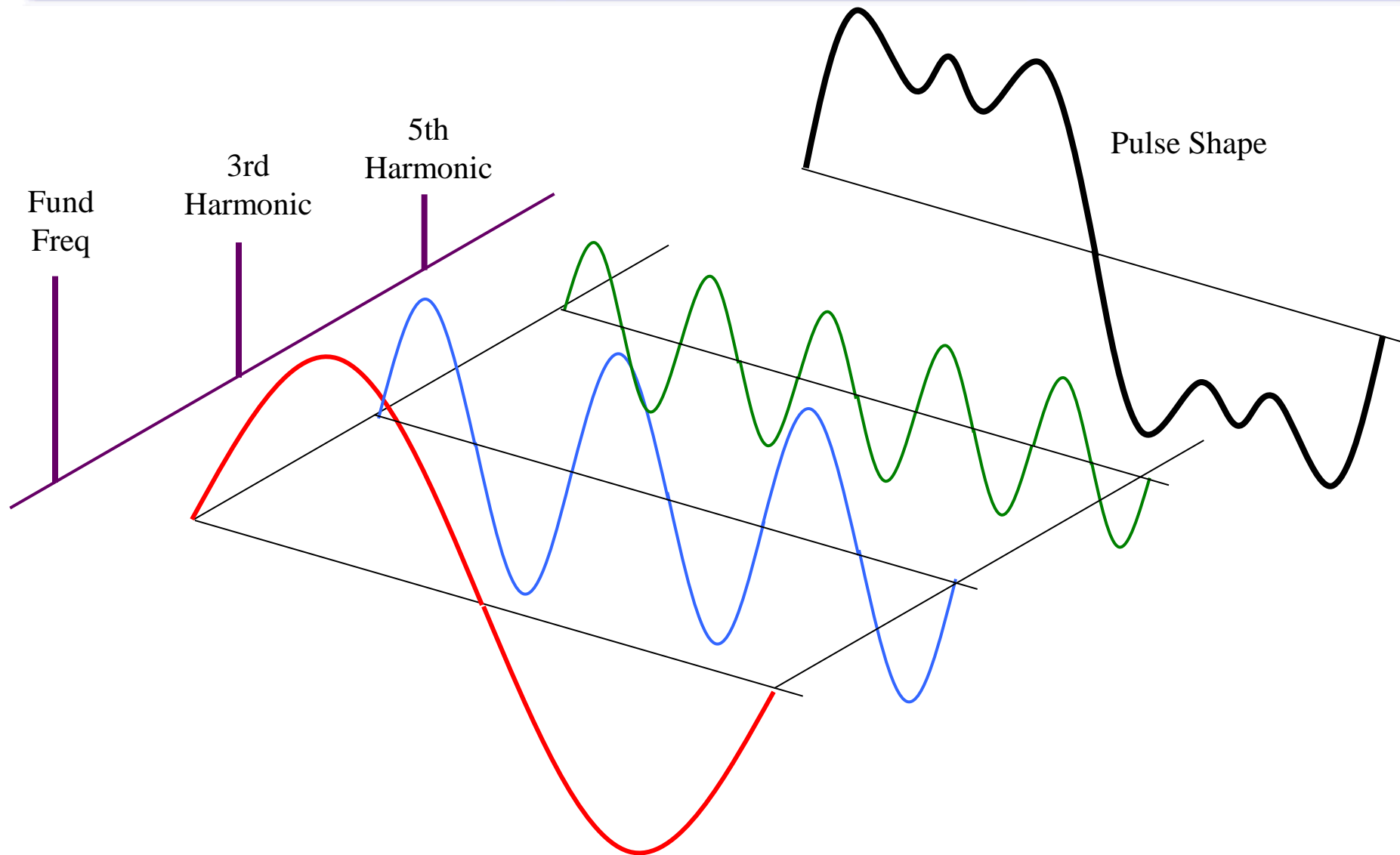


Scope bandwidth at 3x signal bandwidth
(Square Wave with 40% duty cycle)

Harmonics are attenuated (filtered) by scope

Scope Analog Bandwidth

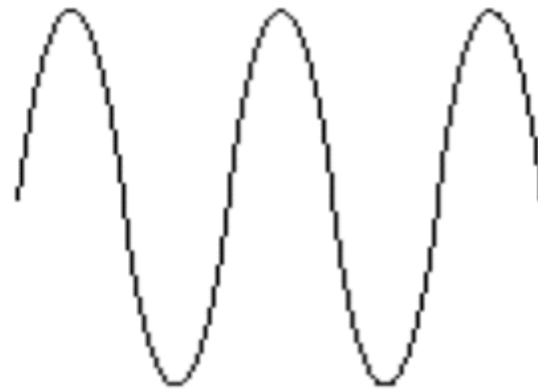
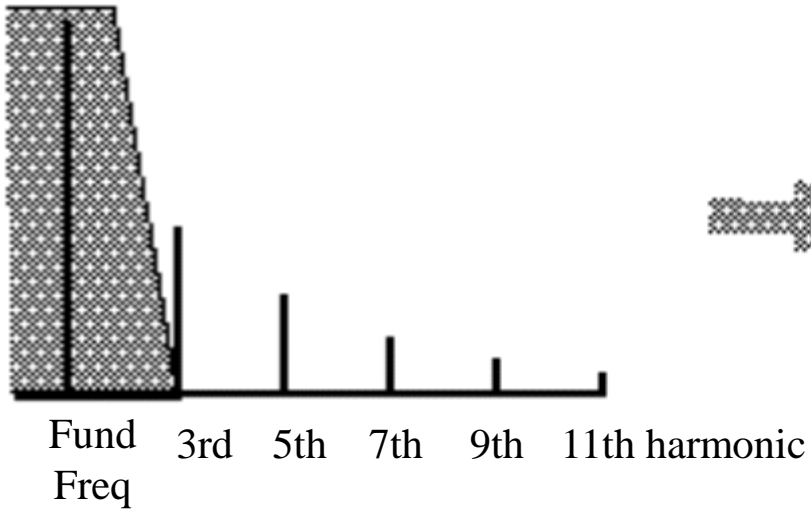
Affects Pulse Shape Characteristics



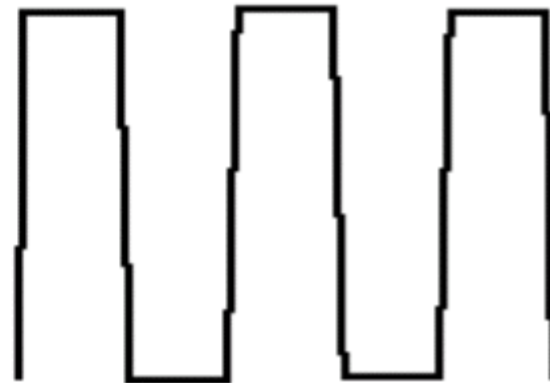
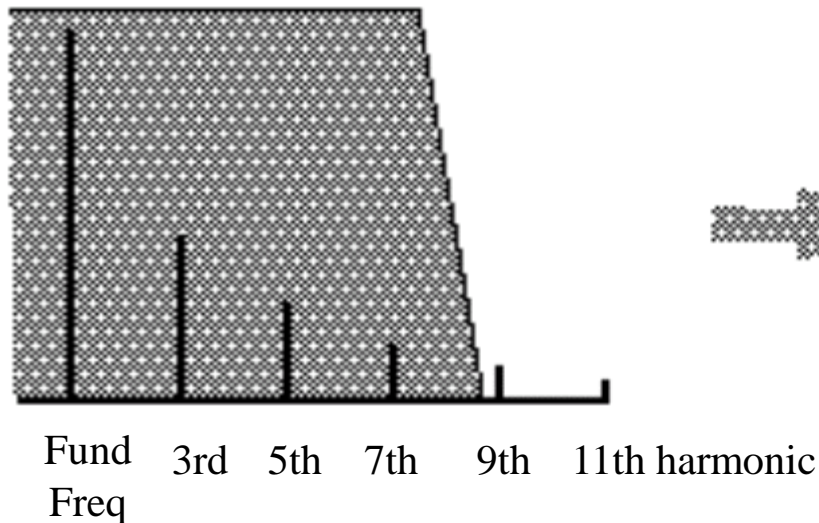
Scope Analog Bandwidth

Affects Pulse Shape Characteristics

Bandwidth Range

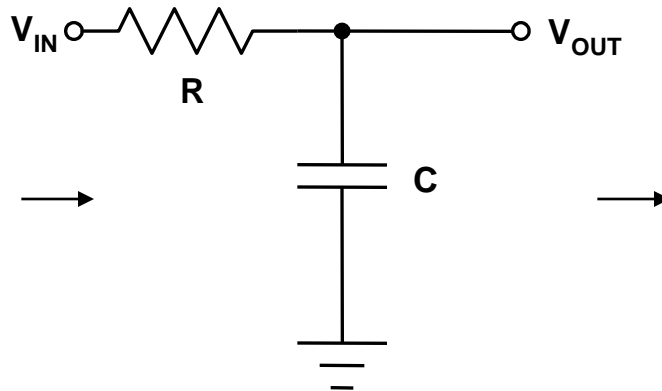
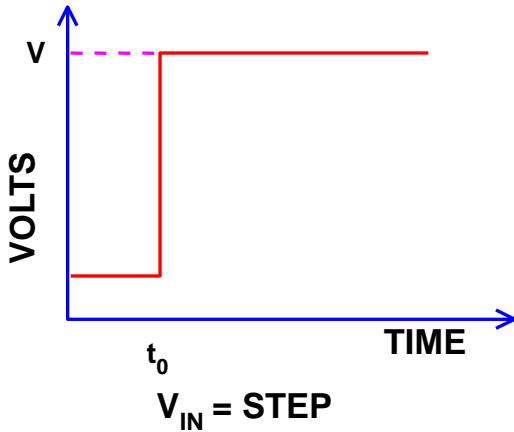


Square wave pulse shape

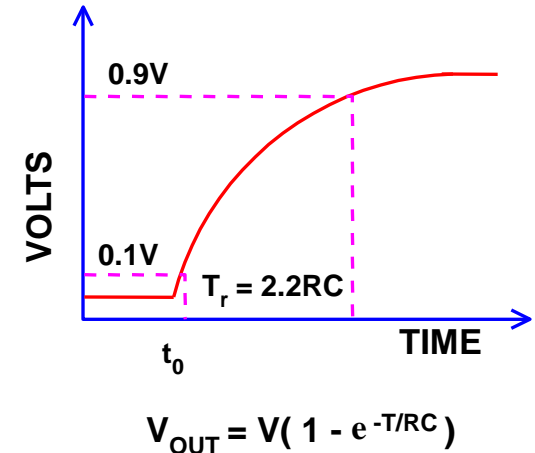


Square wave pulse shape

Relationship Between Risetime and Bandwidth



Primitive 1-Pole Oscilloscope Model



$$V_{OUT} = V(1 - e^{-T/RC})$$

$$V_{OUT} = V - V e^{-T/RC}$$

$$V - V_{OUT} = V e^{-T/RC}$$

$$e^{-T/RC} = \frac{V - V_{OUT}}{V}$$

$$-T/RC = \text{LN}((V - V_{OUT}) / V)$$

$$T = -RC * \text{LN}((V - V_{OUT}) / V)$$

$$T_{90\%} = -RC * \text{LN}((V - 0.9V) / V)$$

$$T_{90\%} = -RC * \text{LN}(1 - 0.9) = -RC * \text{LN}(0.1) = 2.3 RC$$

$$T_{10\%} = -RC * \text{LN}((V - 0.1V) / V)$$

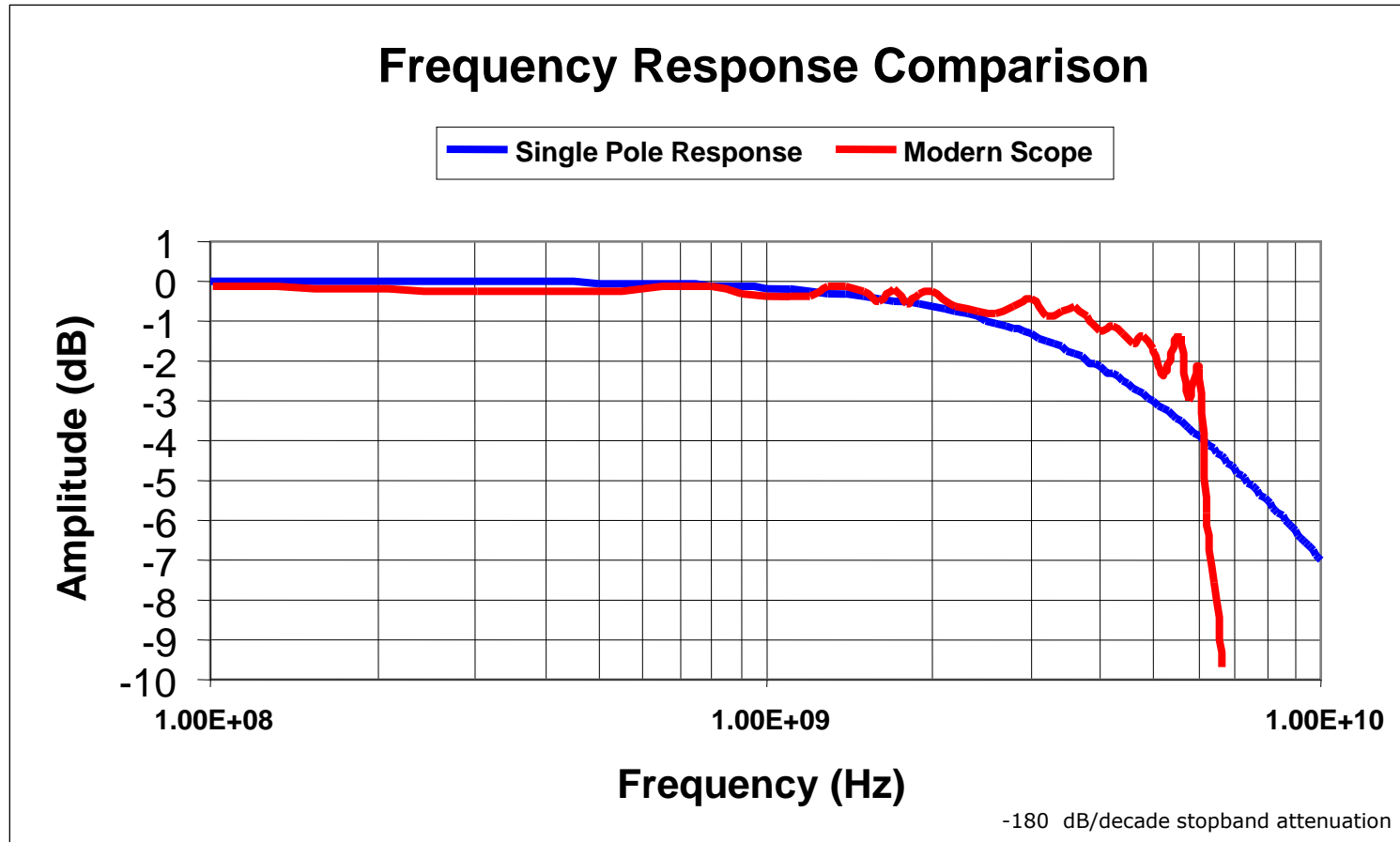
$$T_{10\%} = -RC * \text{LN}(1 - 0.1) = -RC * \text{LN}(0.9) = 0.1 RC$$

$$T_{\text{rise}} = T_{90\%} - T_{10\%} = 2.2 (RC) = 2.2/2\pi f = 0.35 / f$$

$$\text{Risetime} = (0.35) / \text{Bandwidth}$$

(for a single-pole RC approximation)

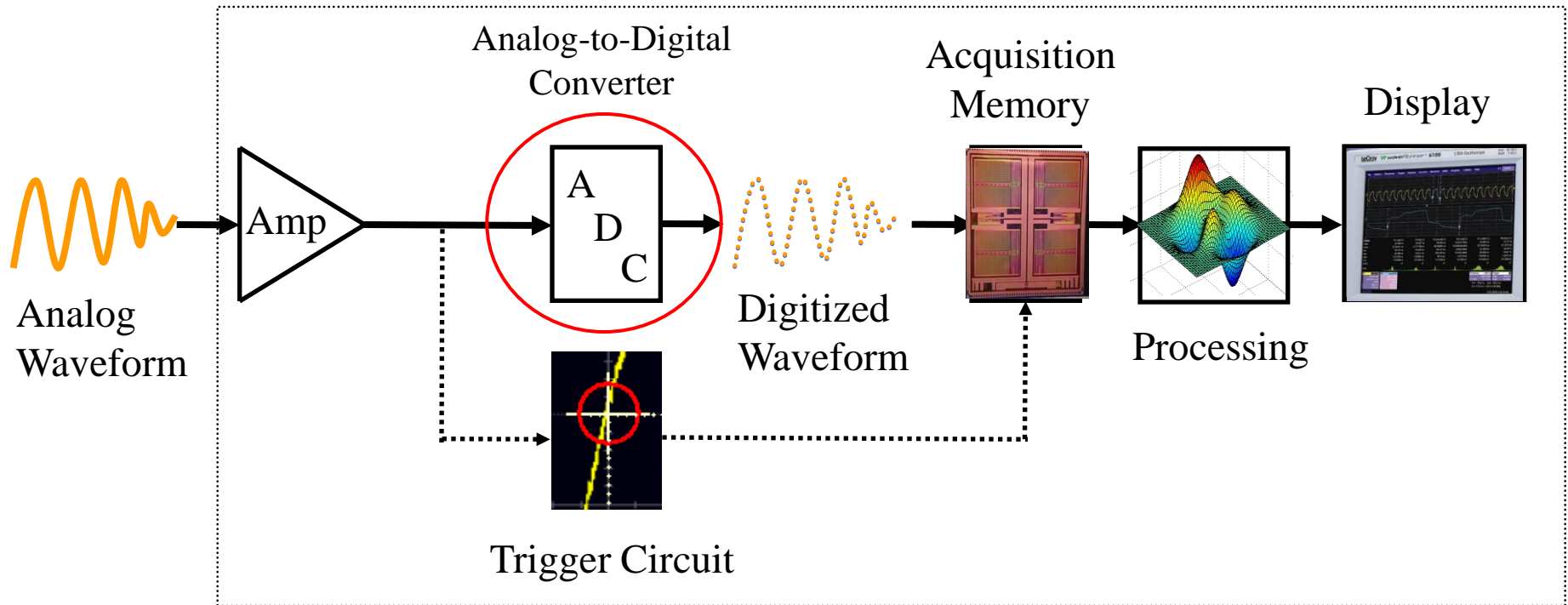
Modern Scope Bandwidth and Risetime



Risetime = $0.45/\text{Bandwidth}$

E.g.: 6 GHz scope bandwidth, 75 ps scope risetime

Section 2: Sampling Rate



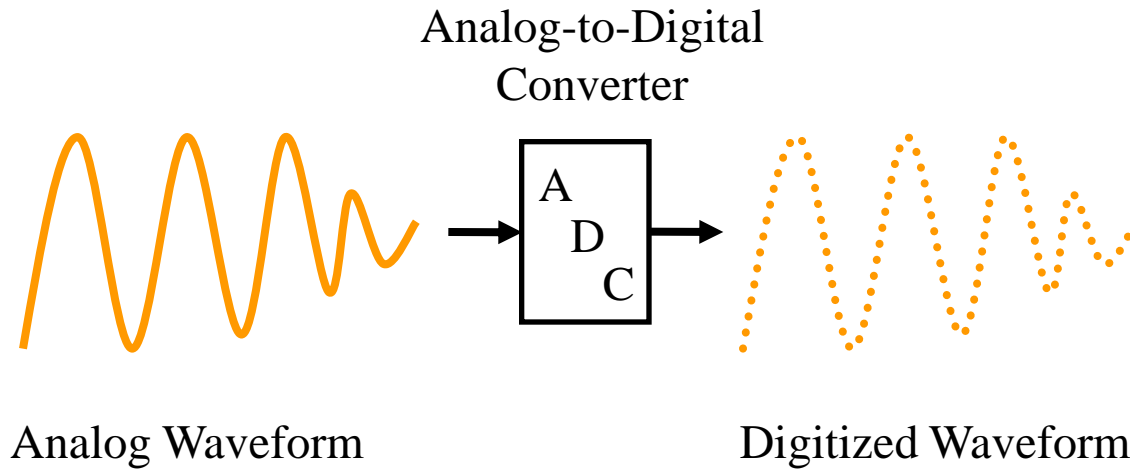
Section 2: Sampling Rate

Bandwidth and Sample Rate

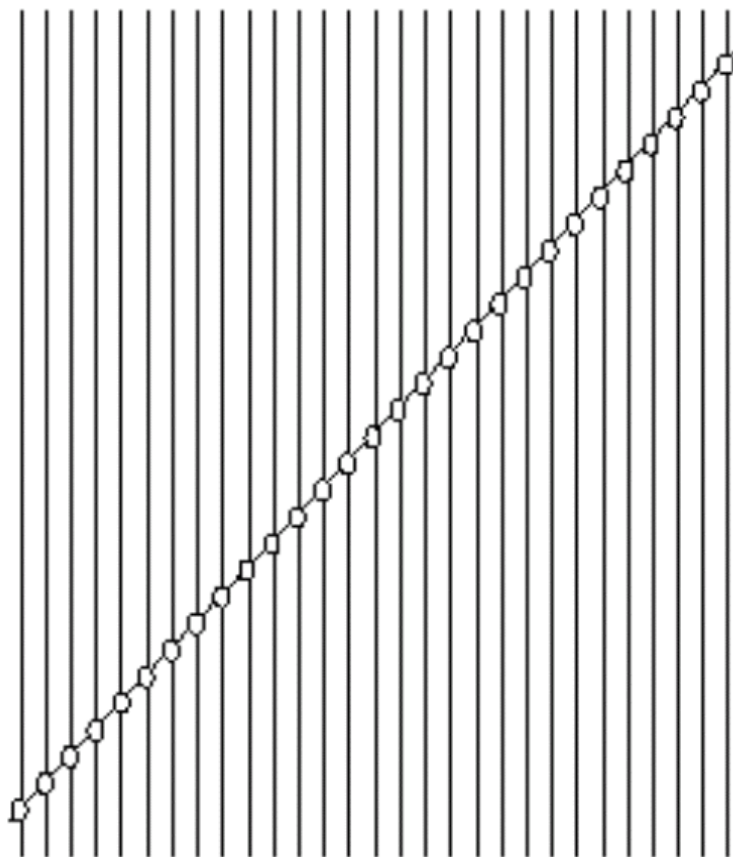
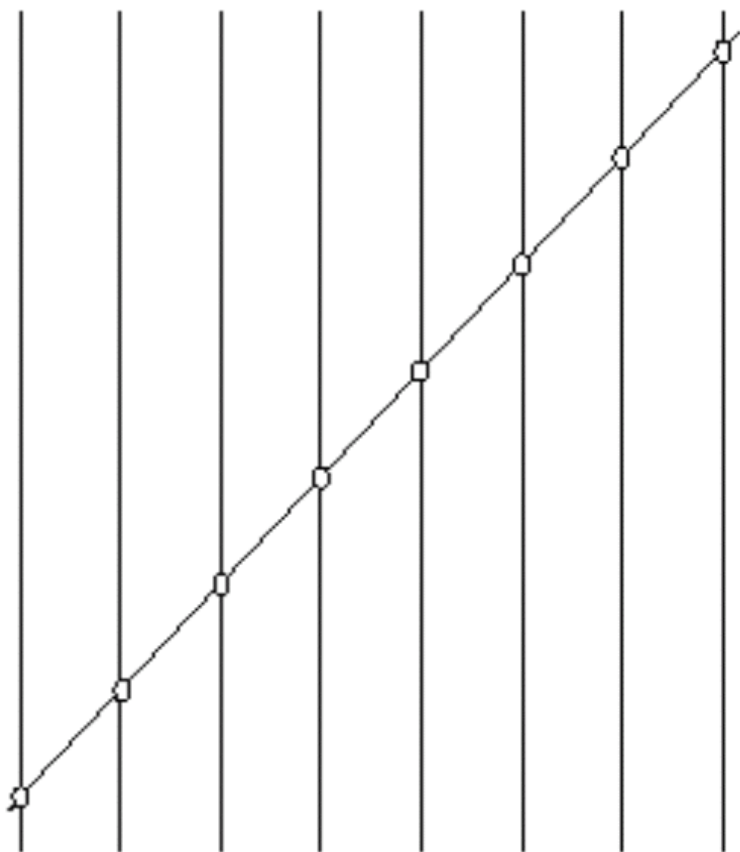
Definition of Bandwidth: Bandwidth is the maximum signal frequency that can be input into the scope with no more than -3dB attenuation

Definition of Sample Rate: Sample rate is the speed at which the scope can digitize and record the voltage level of an input signal

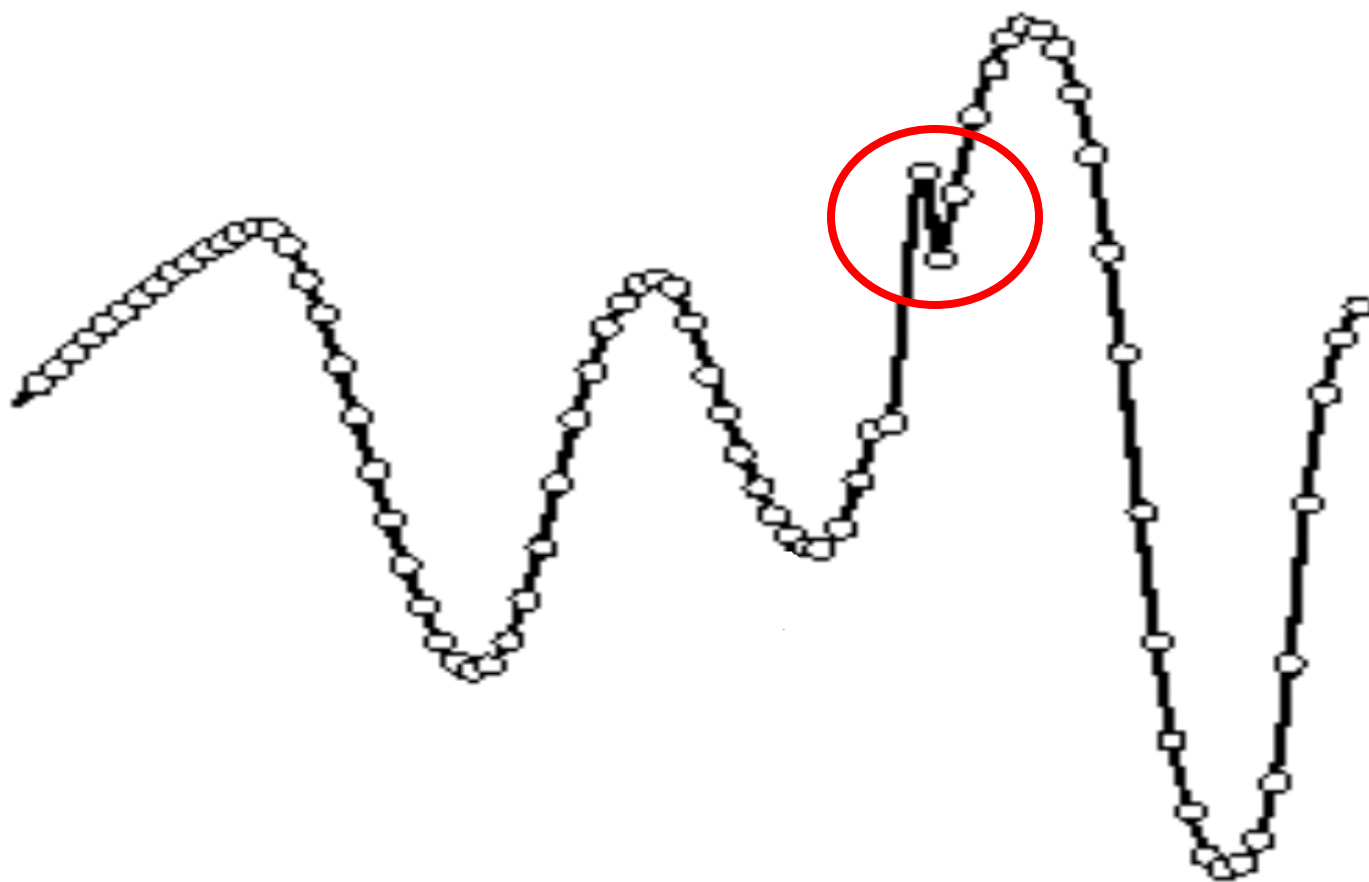
ADC Outputs Digitized Samples



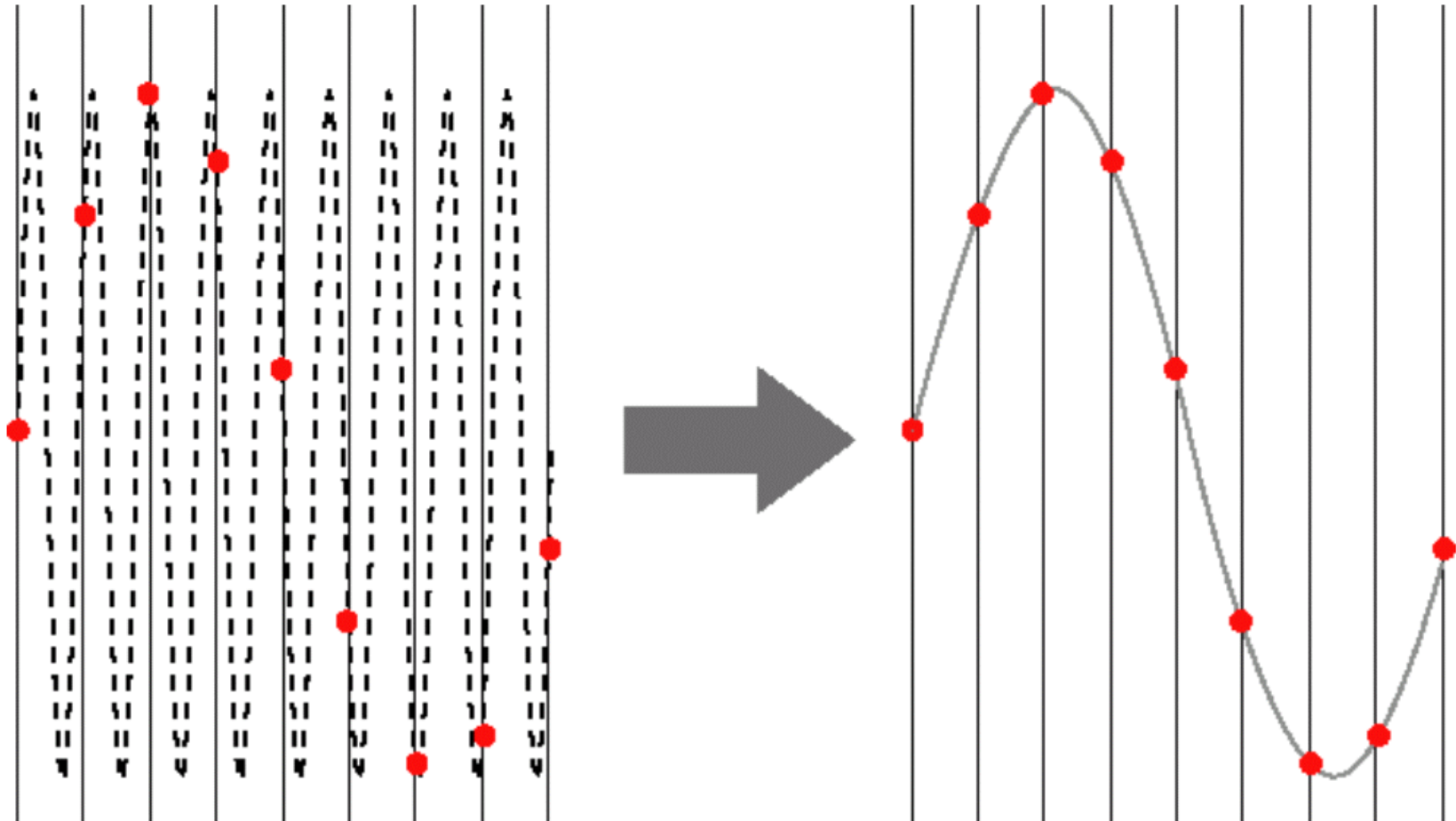
Effect of Sample Density on Ramp



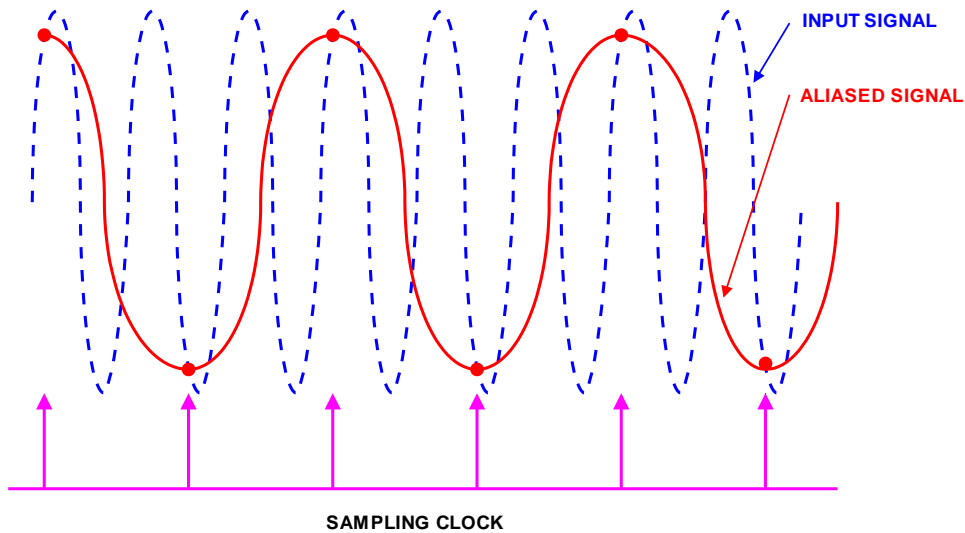
Effect of Sample Density on Intermittent Events



Aliasing

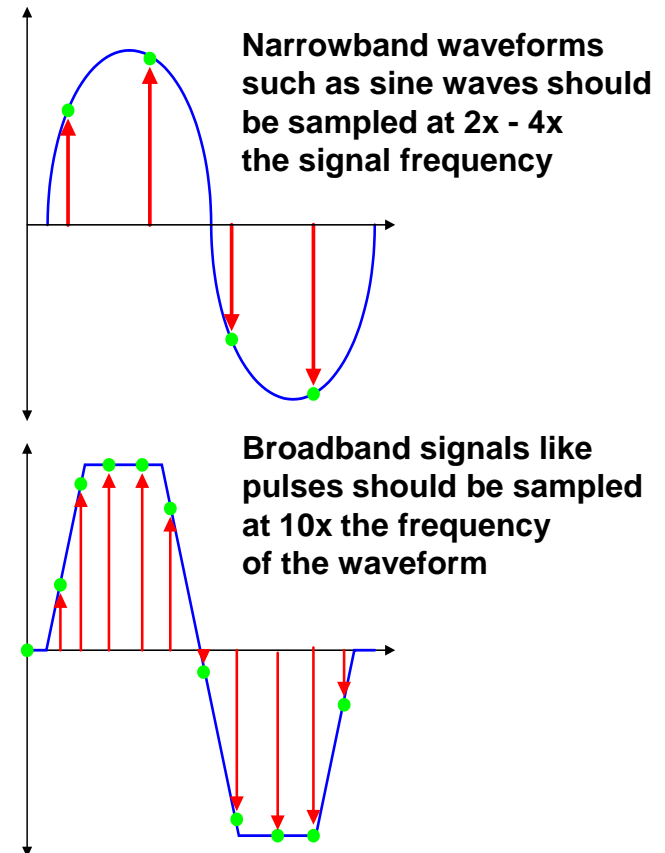


Aliasing: Sampling Too Slowly

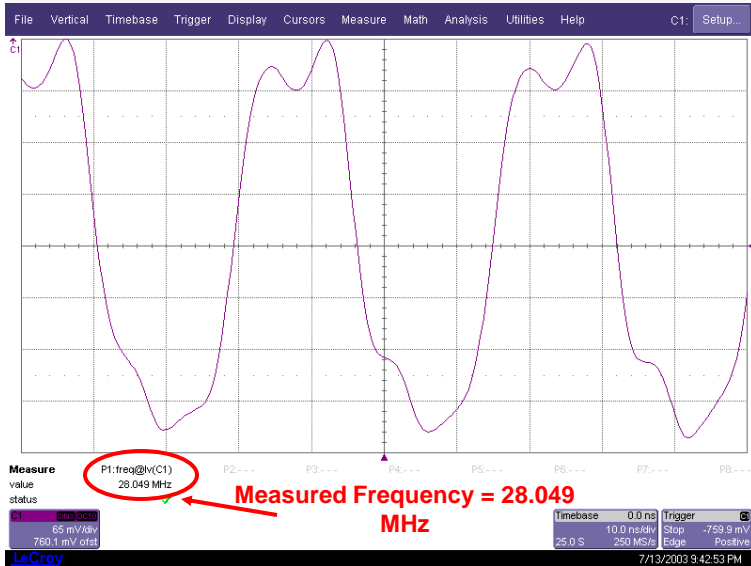


If a signal is sampled at less than 2 times per cycle the DSO interprets the data as having a lower frequency which is called an alias. The frequency of the alias is the difference frequency between the input signal and the sampling frequency or one of its harmonics. The aliased signal will also appear to be poorly triggered and move horizontally

The highest frequency that can be present in a digitized waveform is one half the sample rate – this is the theoretical digital bandwidth of the waveform



Which measurement is correct?



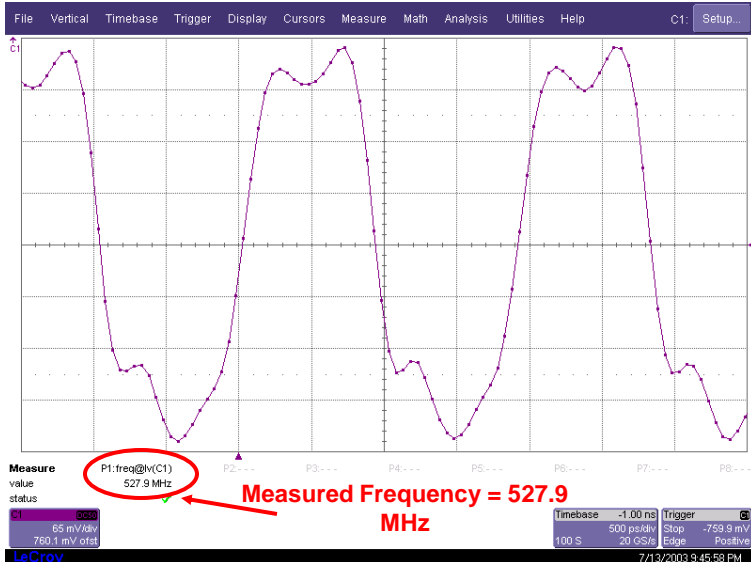
Clock Sampled at 250 MS/s

The two waveforms look identical, but the measured frequencies are very different
Clues identify aliased waveform:

Top waveform is not properly aligned with the trigger point

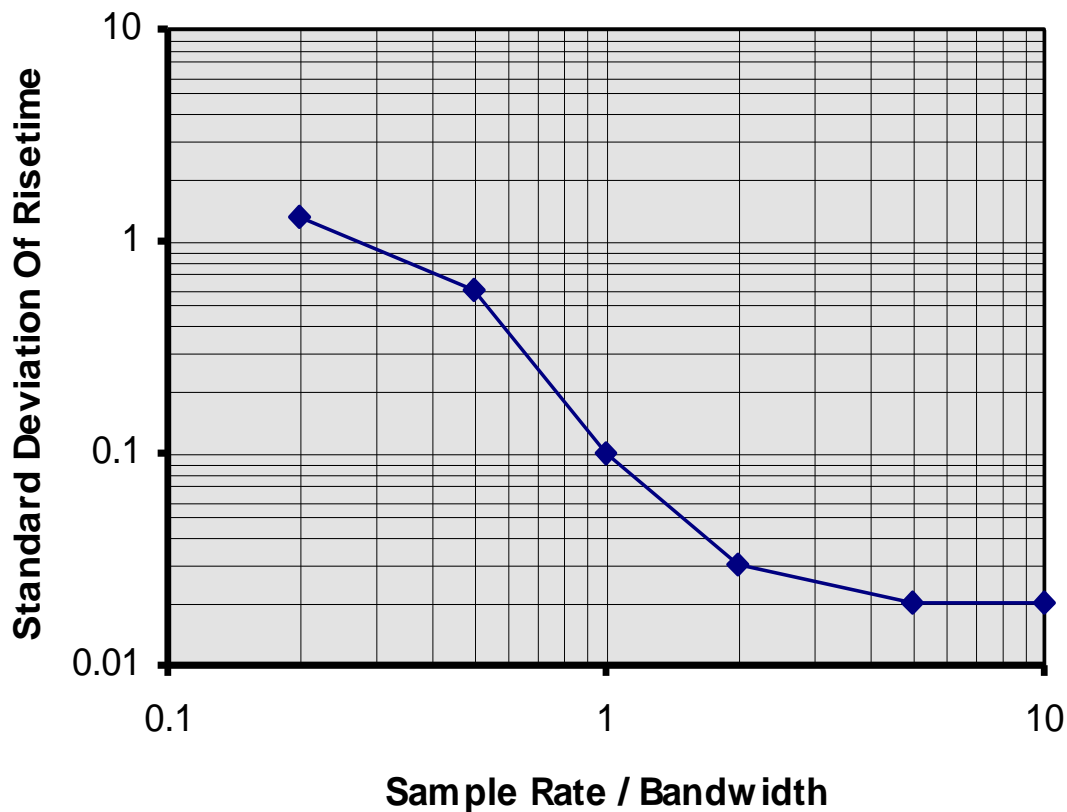
Frequency measured in top trace is approximately the frequency of the bottom trace less two times the sampling frequency

Note the sampling rate



Clock Sampled at 20 GS/s

Why is Oversampling Important?



Sample Rate	Time/ Pt	SR/BW	Avg. Rise Time	sdev
200 MS/s	5 ns	0.2	4.7 ns	1.3 ns
500 MS/s	2 ns	0.5	2.3 ns	0.6ns
1 GS/s	1 ns	1.0	1.6 ns	0.1 ns
2 GS/s	0.5 ns	2.0	1.27 ns	0.03 ns
5 GS/s	0.2 ns	5.0	1.16 ns	0.02 ns
10 GS/s	0.1 ns	10.0	1.15 ns	0.02 ns

- You must sample at greater than 5x the bandwidth to achieve good measurement accuracy
- Higher sampling rates return less reduction in uncertainty

Buttons

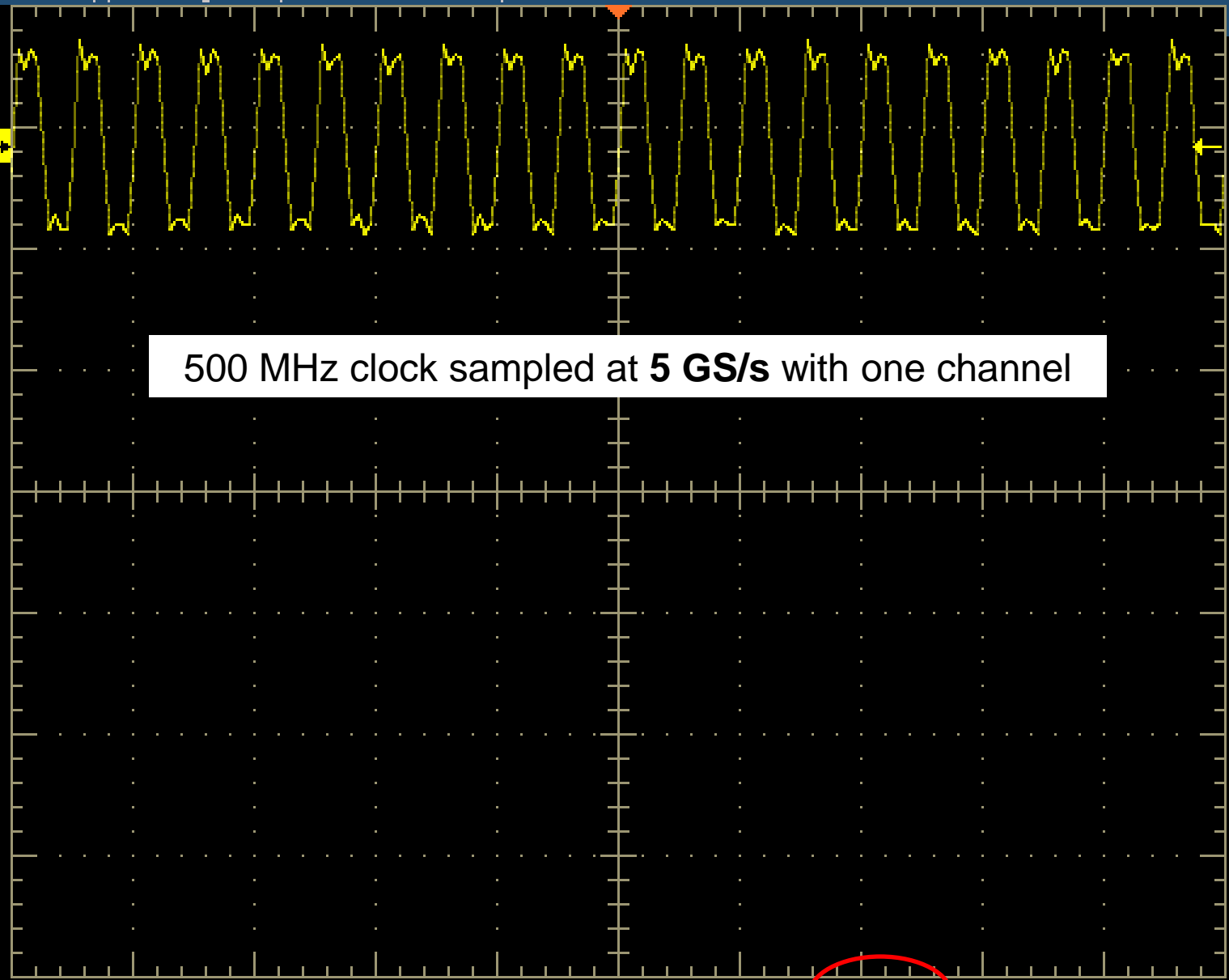
Position

50.0%

Factor

1

500 MHz clock sampled at **5 GS/s** with one channel

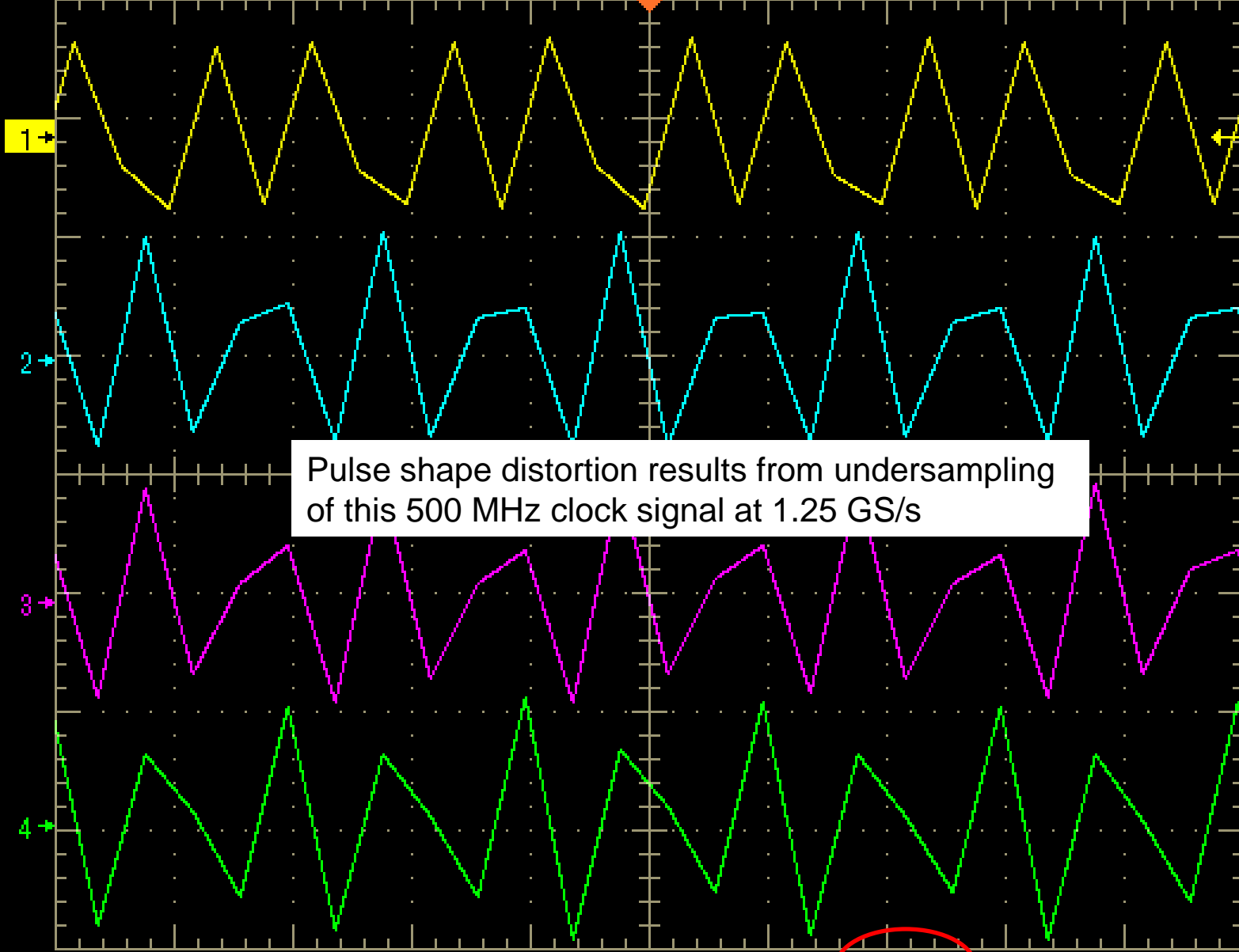


Ch1 50.0mV Ω

M 4.0ns 5.0GS/s

IT 8.0ps/pt

A Ch1 0.0V



Buttons

Position

50.0%

Factor

1

Rise(C1)! 630.6ps
μ: 630.6169p
m: 630.6p M: 630.6p
σ: 0.0 n: 1.0

Fall(C1)! 1.088ns
μ: 1.0875921n
m: 1.088n M: 1.088n
σ: n: 1.0

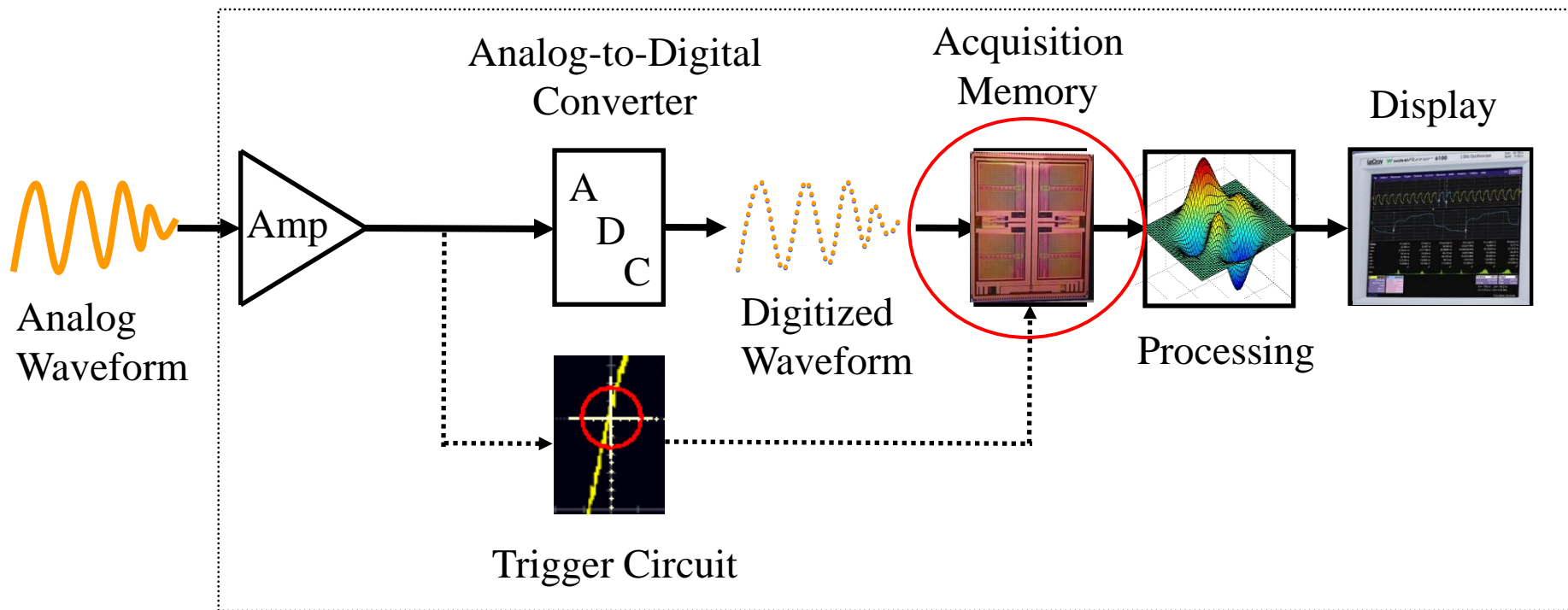
Ampl(C1)! 67.0mV
μ: 67.0m
m: 67.0m M: 67.0m
σ: n: 1.0

Freq(C1)! 441.7MHz
μ: 441.70624M
m: 441.7M M: 441.7M
σ: n: 1.0

Pulse shape distortion results from undersampling of this 500 MHz clock signal at 1.25 GS/s

Ch1 50.0mV Ω Ch2 50.0mV M 2.0ns 1.25GS/s IT 4.0ps/pt
Ch3 50.0mV Ch4 50.0mV A Ch1 0.0V

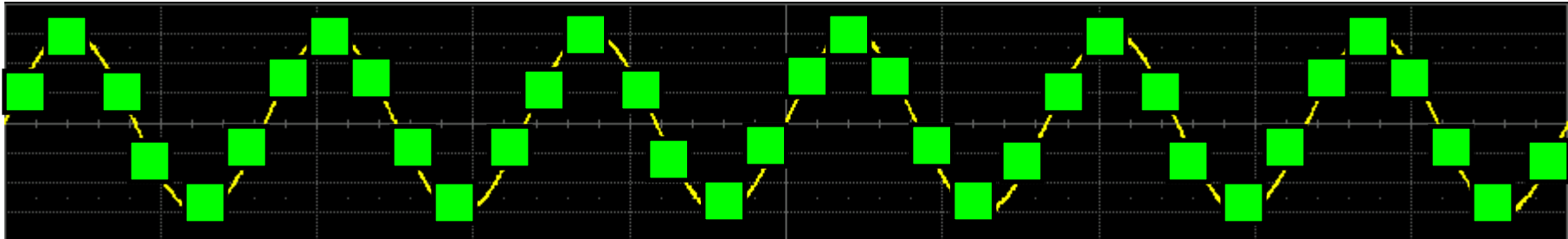
Section 3: Acquisition Memory



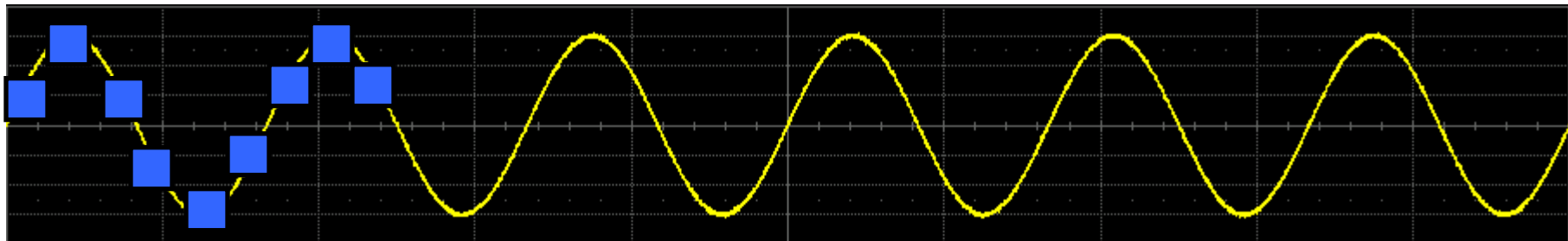
Section 3: Acquisition Memory

Memory's Effect On Signal Integrity

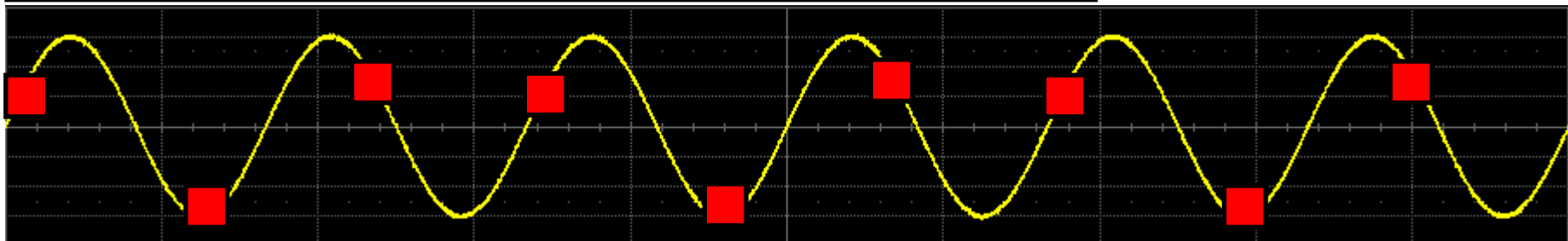
Long memory record: Correctly sample **all** of the data



Short memory record: Correctly sample **part** of the data

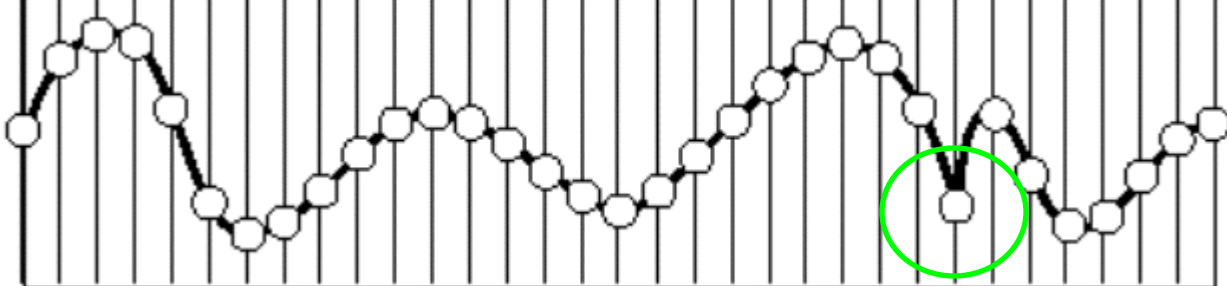


Short memory record: **Incorrectly** sample all of the data

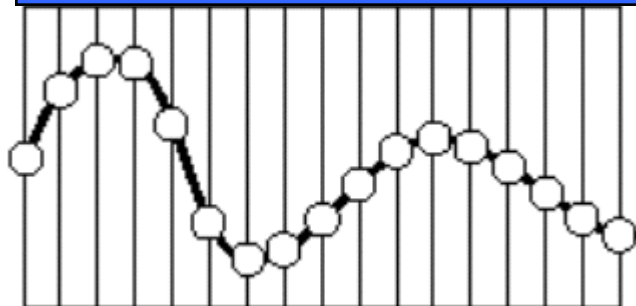


Memory's Effect On Glitch Detection

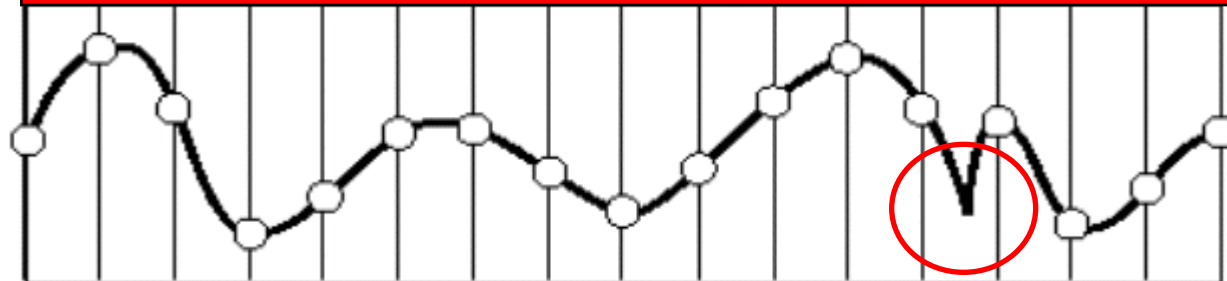
Long memory record: Correctly sample **all** of the data



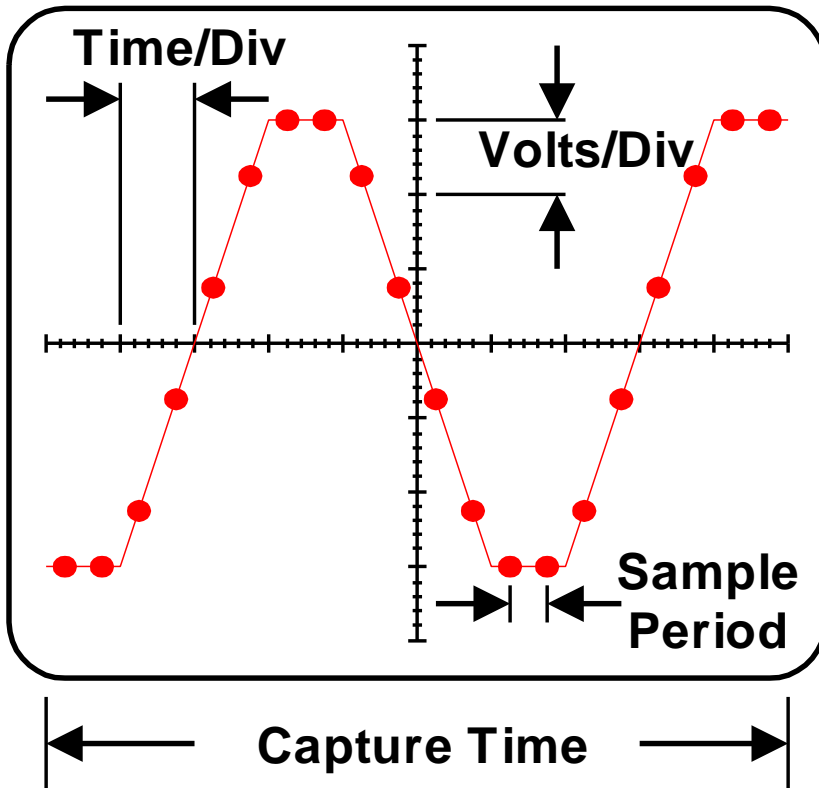
Short memory record: Correctly sample **part** of the data



Short memory record: **Incorrectly** sample all of the data



Relationship Between Sample Rate and Memory Depth



- ✦ Vertical range is $8 \times [\text{Volts/Div}] \approx 256$ binary codes for 8-bit ADC
- ✦ Capture time = $10 \times [\text{Time/Div}]$
- ✦ Sample Rate = $1 / \text{Sample Period} = \text{Memory Depth} / \text{Capture Time}$
- ✦ Memory Depth = Sample Rate \times Capture Time
- ✦ Digital Bandwidth (Nyquist frequency) = Sample Rate / 2
- ✦ Lowest Frequency that can be characterized = $1 / \text{Capture Time}$
- ✦ Ratio of highest to lowest observable frequency = Memory Depth / 2

$$\text{Sample Rate} = (\text{Memory Depth}) / (\text{Capture Time})$$

(where Capture Time = $10 \times \text{Time/Div}$)

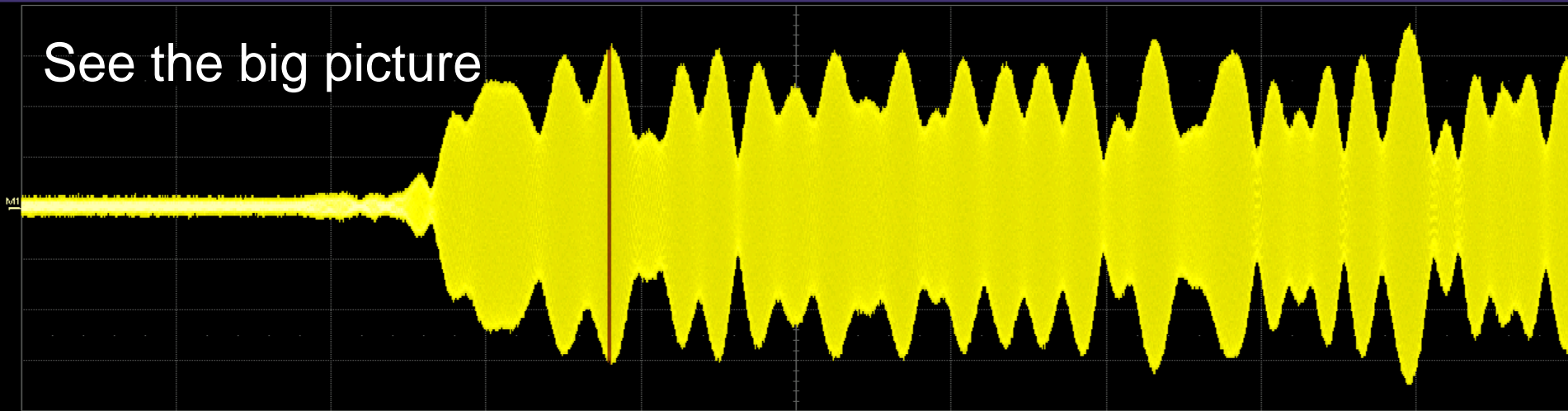
Deep Memory Reduces Aliasing

$$\text{Sample Rate} = (\text{Memory Depth}) / (\text{Capture Time})$$

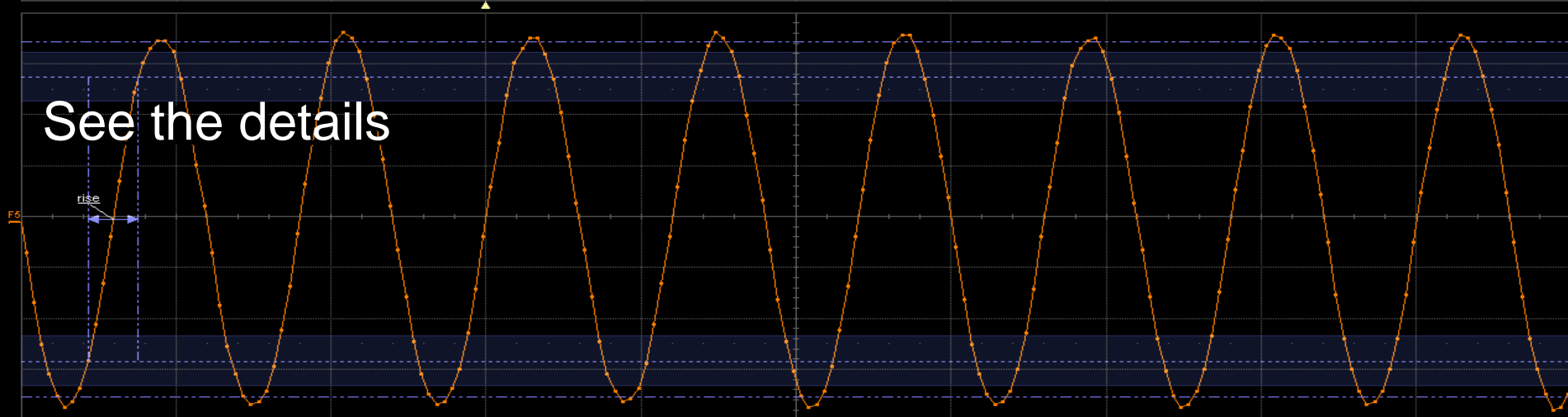
- ❖ As the timebase is increased, the memory used must increase or the sampling rate must decrease
- ❖ If the combination of capture time and sampling rate would require more than the maximum acquisition memory, then the sampling rate will be reduced
- ❖ Deeper memory enables a longer capture time for a given sampling rate
- ❖ Deeper memory enables a higher sample rate and digital bandwidth for a given capture time
- ❖ A higher sampling rate reduces the risk of aliasing

Benefits of Long Memory: See the Big Picture

See the big picture



See the details

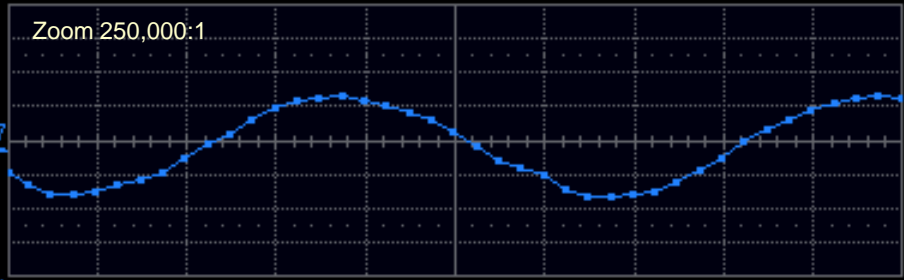
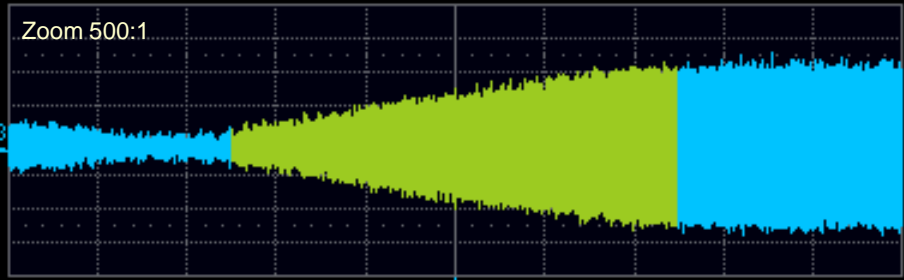
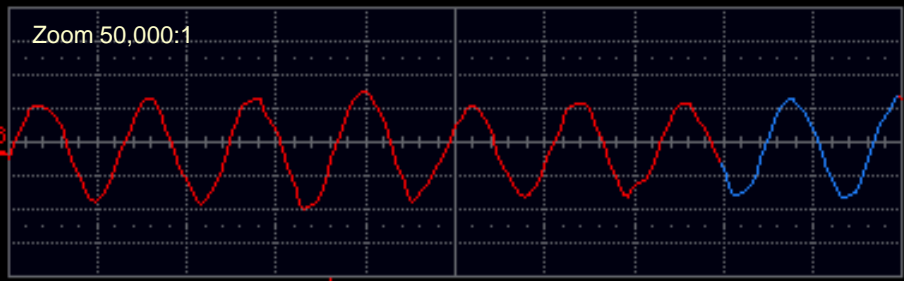
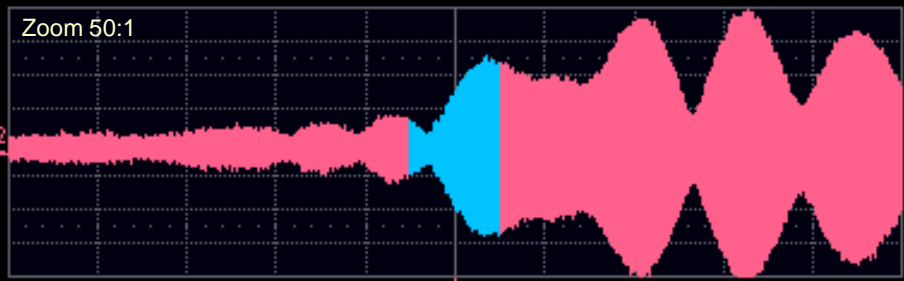
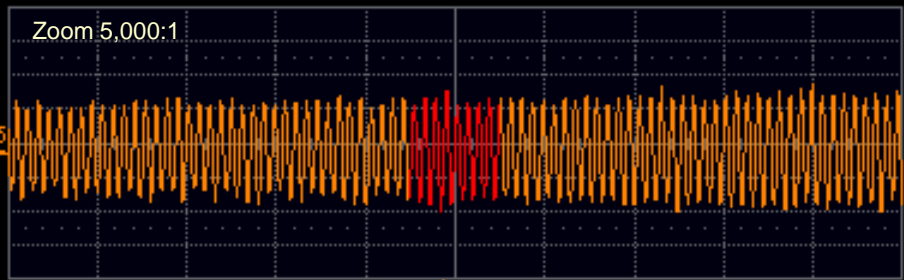
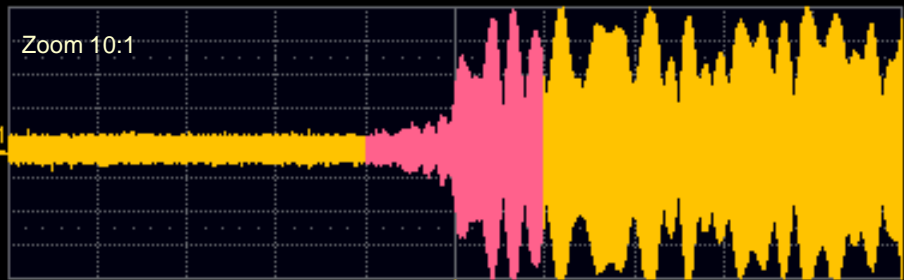
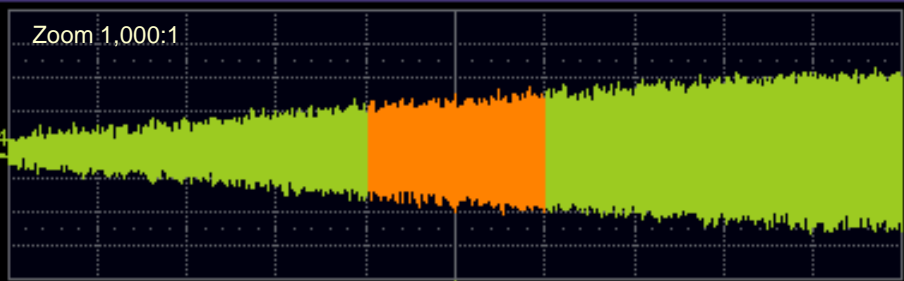
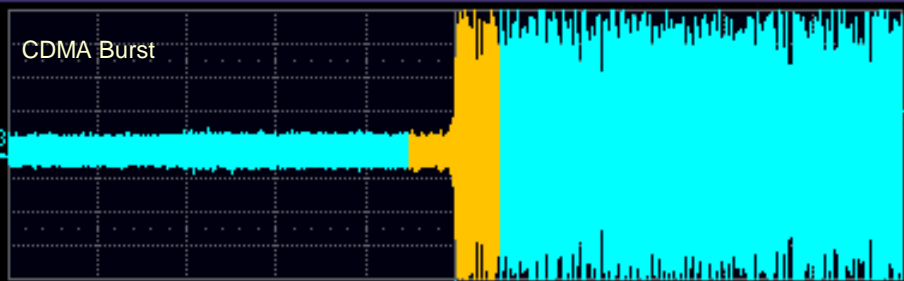


Measure	P1: ampl(C1)	P2: rise(F5)	P3: ---	P4: ---	P5: ---	P6: ---	P7: ---	P8: ---
value	295.7 mV	340 ps						
status	✓	✓						

FS	zoom(M1)	M1
40.8 mV/div	50 mV/div	
1.000 ns/div	5.00 μs/div	

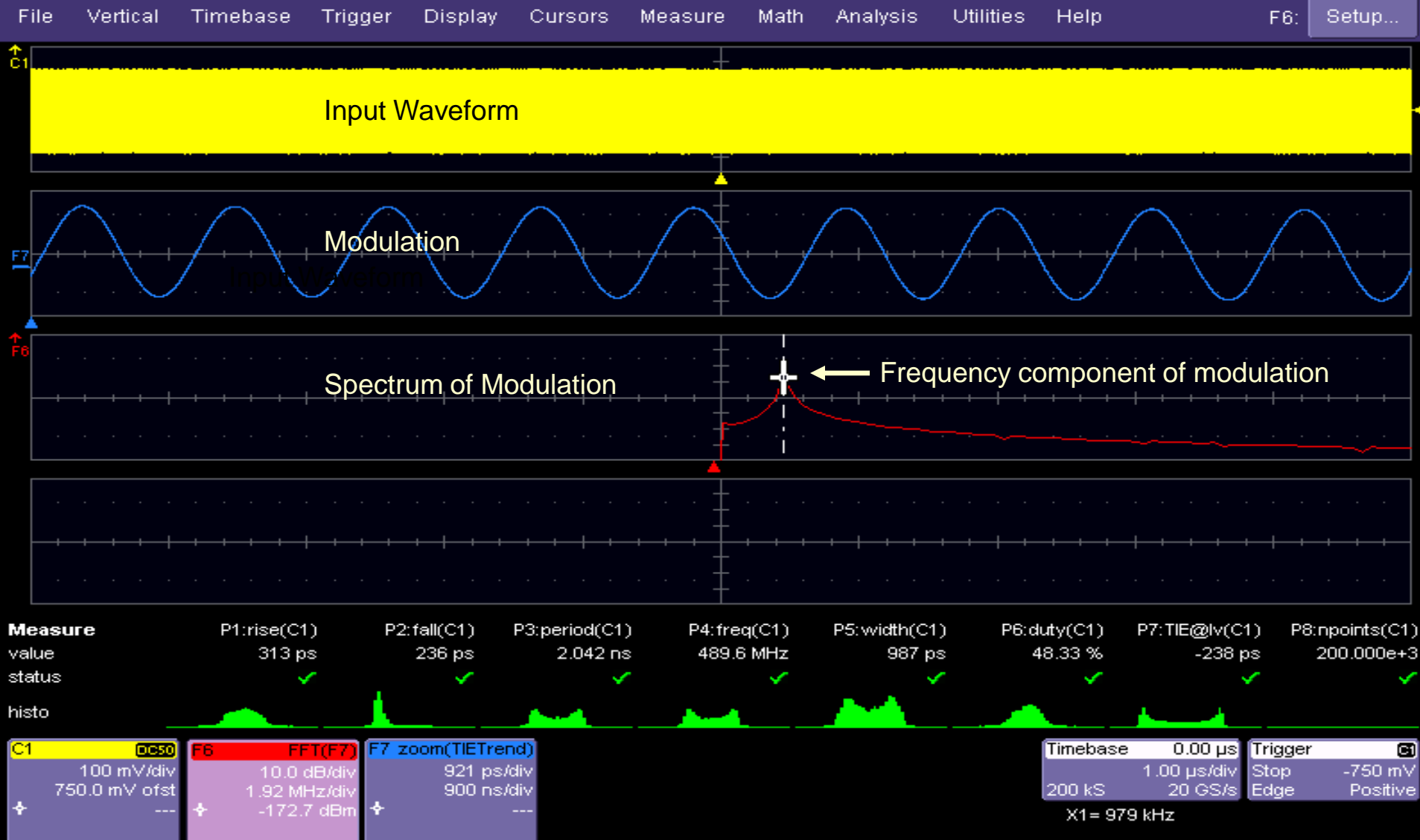
Timebase	0 ns	Trigger	ⓐ
	200 ns/div	Normal	0.0 mV
20.0 kS	10 GS/s	Edge	Positive

12/16/2003 3:15:04 PM

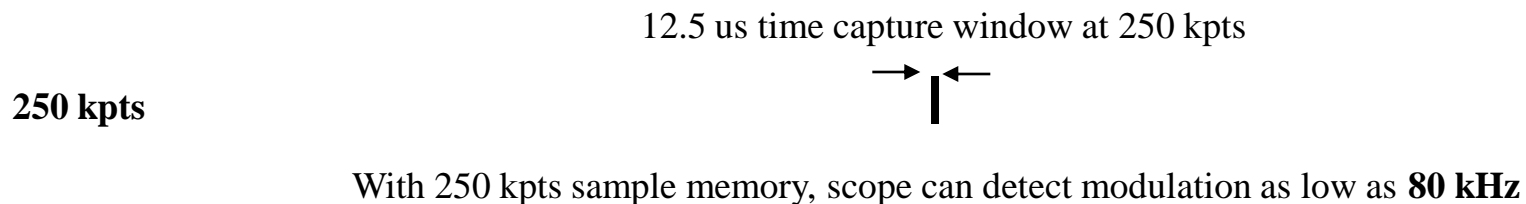
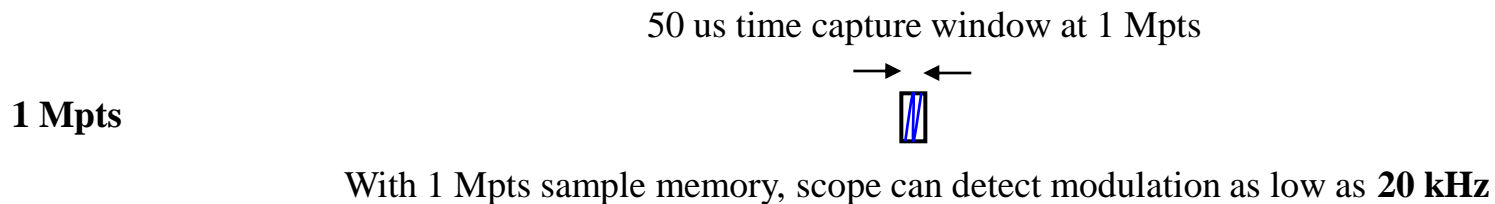
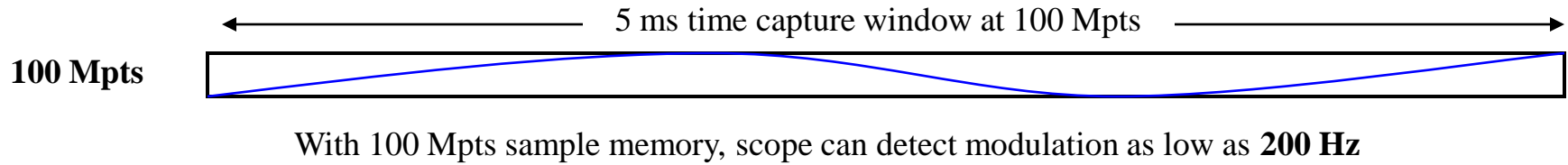


C3	DC	F1 zoom(C3)	F2 zoom(F1)	F3 zoom(F2)	F4 zoom(F3)	F5 zoom(F4)	F6 zoom(F5)	F7 zoom(F6)	Timebase	0 μ s	Trigger	Stopped
10.0 mV		10.0 mV	10.0 mV	10.0 mV	10.0 mV	10.0 mV	10.0 mV	10.0 mV	50.0 μ s/div		DC	C3 13.3 mV
-3 mV		5.00 μ s	1.000 μ s	100 ns	50.0 ns	10.0 ns	1.00 ns	200 ps	10.0 MS	20 GS/s	Edge	Positive

Benefits of Long Memory: Detect Low Frequency Modulation

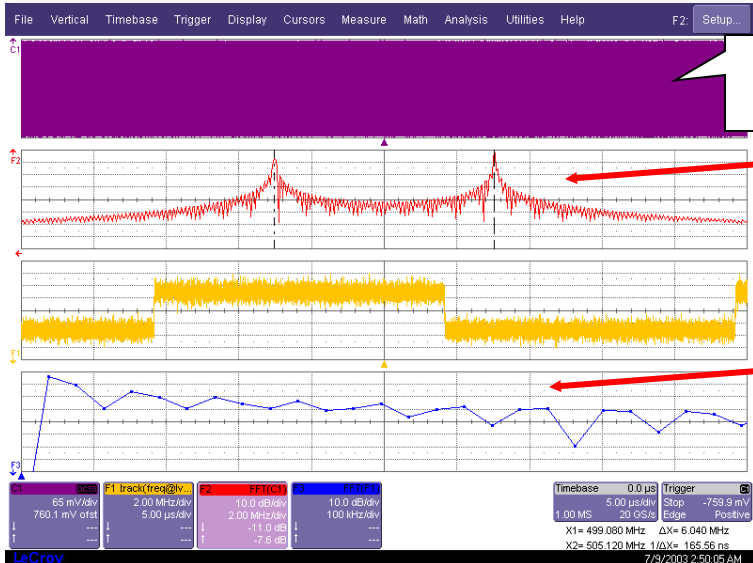


Relation Between Memory and Modulation Detection

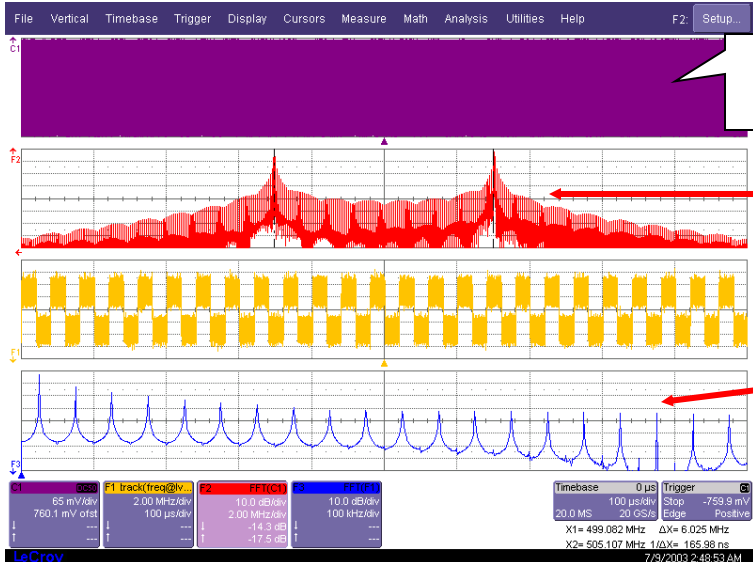


Benefits of Long Memory:

Deeper Memory Produces Better FFT Resolution

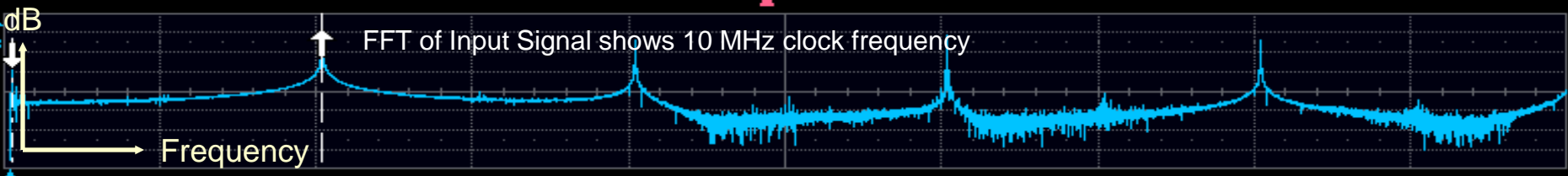
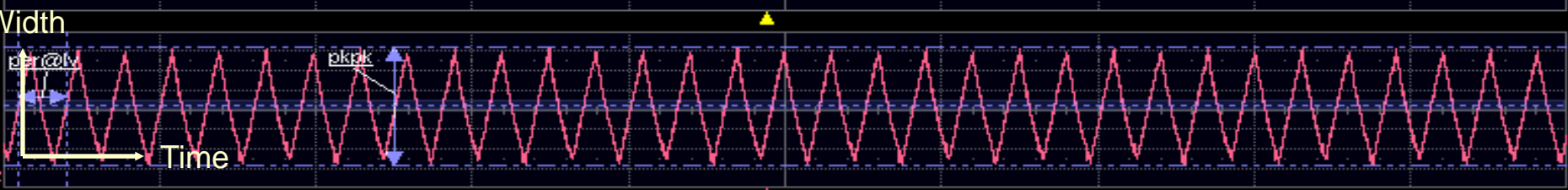
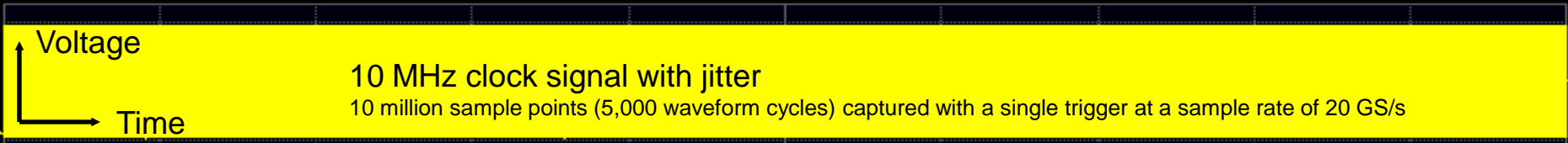


- Deep memory increases frequency resolution and improves signal to noise ratio
- Note the refined detail in the FFTs calculated from 20 Mpt records



Benefits of Long Memory: Identify Jitter Source

File Vertical Timebase Trigger Display Cursors Measure Math Analysis Utilities Help F4: Setup...

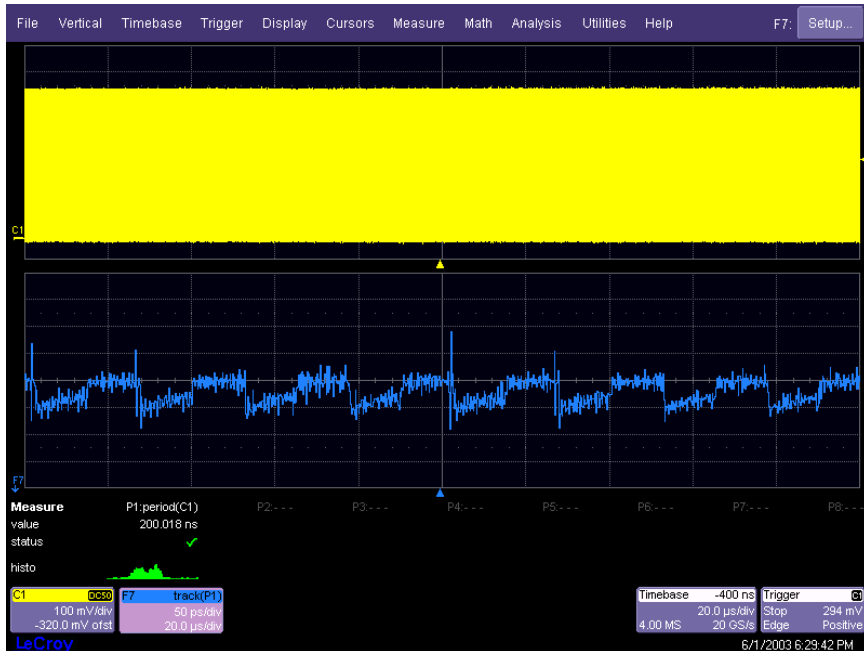


Measure	P1:width(C1)	P2:pkpk(C1)	P3:pkpk(F2)	P4:freq(C1)	P5:freq@lv(F2)	P6:(P4/P5)	P7:cycles(C1)	P8:cycles(F1)
value	56.092 ns	577 mV	1.197 ns	9.99896 MHz	67.567710 kHz	148.002	5.000e+3	32
status	✓	✓	✓	✓	✓	✓	✓	✓

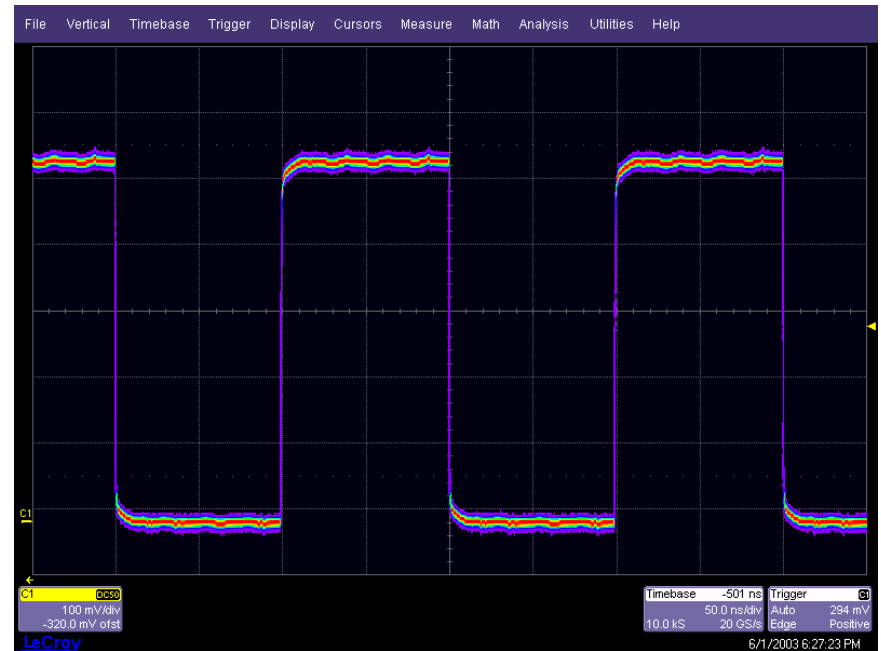
C1	F2	F3	F4
OC50	track(P1)	FFT(C1)	FFT(F2)
100 mV/div	200 ps/div	20.0 dB/div	20.0 dB/div
-271.8 mV ofst	50.0 μs/div	5.00 MHz/div	50.0 kHz/div
↓ ---	↓ ---	↓ -43.3 dB	↓ -192.9 dB
↑ ---	↑ ---	↑ -5.6 dB	↑ ---

Timebase	-6 μs	Trigger	C1
10.0 MS	50.0 μs/div	Stop	272 mV
	20 GS/s	Edge	Positive
	X1= 67.5 kHz	ΔX= 9.9310 MHz	
	X2= 9.9985 MHz	1/ΔX= 100.695 ns	

Persistence Mode Does Not Detect This Modulation

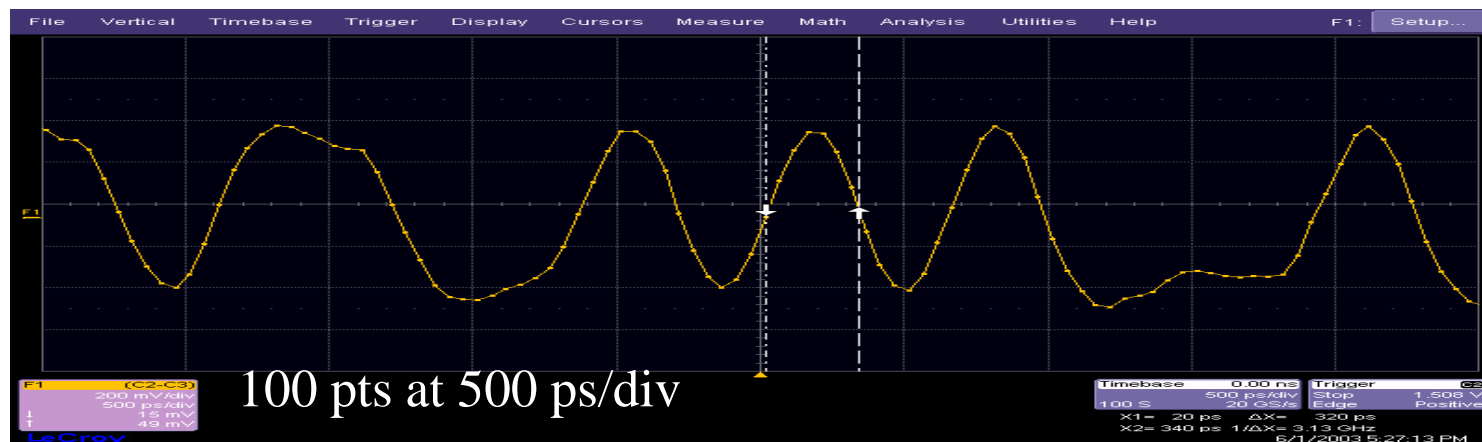


Modulation detected using deep memory record



Modulation is invisible using persistence mode

Oscilloscope Display and Memory



$$\left(\frac{100 \text{ Mpts}}{\text{acquisition}} \right) \cdot \left(\frac{8'' \text{ display}}{100 \text{ pts}} \right) \cdot \left(\frac{1 \text{ foot}}{12''} \right) \cdot \left(\frac{1 \text{ mile}}{5280 \text{ feet}} \right) = \frac{126.26 \text{ display miles}}{\text{acquisition}}$$



100 Mpts of memory is equivalent to 126 miles of oscilloscope display